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-	GSM- Wold Wide Web. - : SMS- , , , ; - - on-line , (). - : of-line, on-line
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= — . (1)

: = $\mu \cdot$ + , (2)

;

(. 1). $\mu -$ -

;

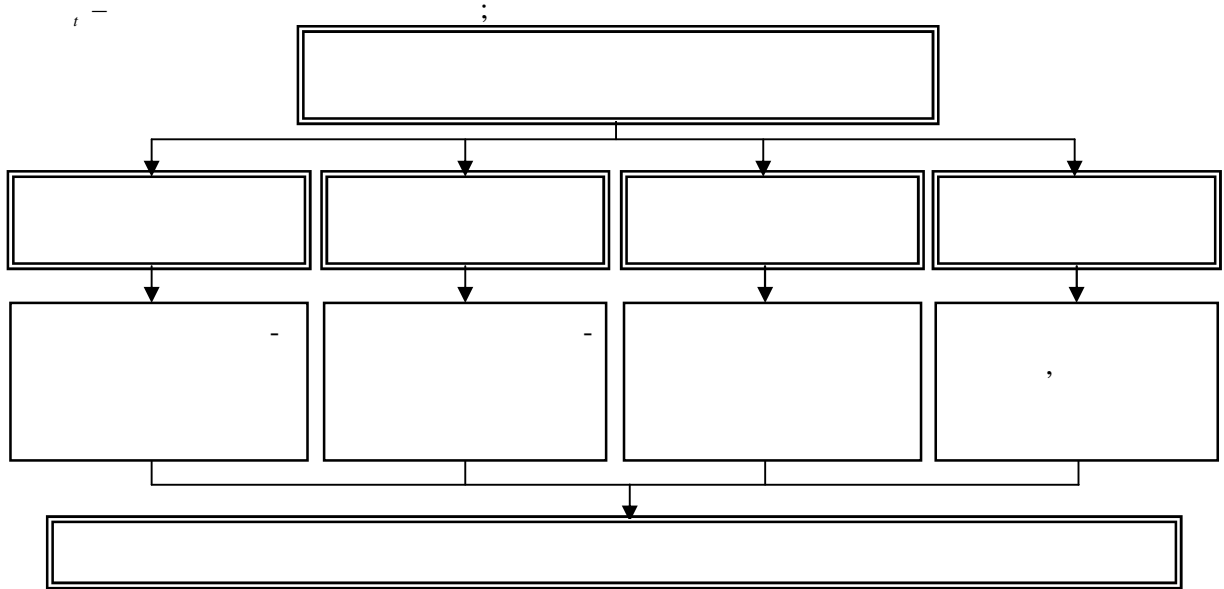
:

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) (: - t - (),

$$t = \frac{1}{(1+\mu)^t}, \quad (3)$$



. I.

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: = ———, 4) - ,

- . ; (,

: (): = ———, (6)

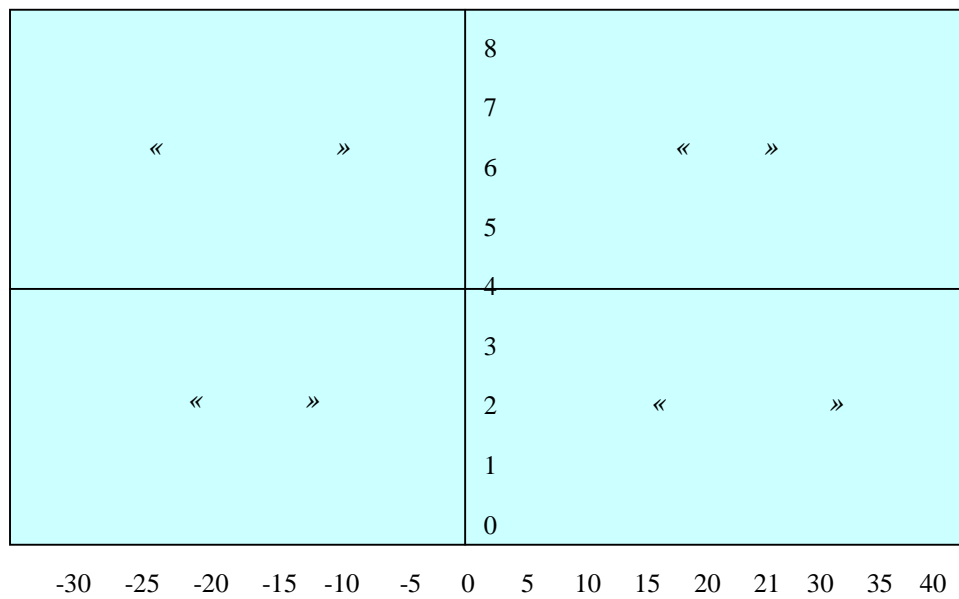
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= ———, (5)

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 = ———; (8)
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 , (.2). [2]



. 2.

:

9.3)	λ_{11}	β_{111}	β_{112}	β_{113}	β_{11n}
.....						
()	λ_k	β_{k1}	β_{k2}	β_{k3}	β_{kn}
$k -$	$\sum_{j=1}^k \lambda_j = 1$	$\sum_{j=1}^k (\lambda_j \sum_{i=1}^n \beta_{ij})$				

		(, $P(N_i)$),	(, $P(/ N_i)$),	$P(N_i) \cdot P(/ N_i)$	$P(N_i /)$
1. -	1.1.				
	1.2.				
	1.3.				
	:				
	$\sum_i^l P(N_i)P(B / N_i)$				
2. -	2.1.				
	2.2.				
	2.3.				
	2.4.				

	⋮				
	$\sum_i^l P(N_i)P(B/N_i)$				
	⋮				
	$\sum_i^l P(N_i)P(B/N_i)$				

(i) , ⋮

(B) , ,

,

,

(

):

$$P(N_i/B) = \frac{P(N_i)P(B/N_i)}{\sum_{i=1}^l P(N_i)P(B/N_i)}, \quad (11)$$

1. , 2001. - 336 .

2. / -

3. , 2003. - 189 .

4. « » , 2001. - 384 .

5. / 2006. - 463 .

6. / , 2005. - 831 .

7. , 2006. - 727 .

8. / , 2009. - 776 .

9. / , 2008. - 240 .